

These points can best be illustrated with the following  $M$ - $L$  space plot. In column 1 of Figure 1, we display the maximum radial incursion for convecting ions which are shaded according to their radius of origin, where black indicates particles initially at  $2R_E$ , and white indicates particles initially greater than  $7R_E$ . Since the standard model averages over LT, we display the maximum radial incursion averaged over LT as well. The incursions were calculated with a total energy method [Whipple, 1978] using an Olson-Pfizer [Olson *et al.*, 1979; Jordan *et al.*, 1992] quiet magnetic field, with a shielded Volland-Stern [Volland, 1973; Stern, 1973] electric field appropriate for  $Kp=2$  [Maynard and Chen, 1975], and an ionospheric electric potential [Richmond *et al.*, 1980] mapped to the equator assuming equipotential magnetic field lines. The total energy method assumes that the energy of magnetospheric ions can be written as the sum of the kinetic and electrostatic potential energies:

$$W = K.E. + P.E. = \mu B_m + qU \quad (5)$$

Then isoenergy contours calculated using the above magnetic and potential field models are also particle trajectories. The method is described in more detail in an earlier paper [Sheldon, 1993]. The white, funnel-shaped region marks orbits which are probably open to the geomagnetic tail and/or to the magnetopause. To the right of this region at higher  $M$ , the horizontal contours indicate energetic ions on nearly circular, anticorotating orbits. To the left of this region are low-energy, corotating orbits. Adjacent to the Alfvén boundary between open and closed orbits, lies a region of highly distorted, oval and “banana” orbits [Chen, 1970; Strangeway and Johnson, 1984]. As activity increases, and the cross-tail field strengthens, the Alfvén boundary moves earthward and thus toward higher  $M$  as well.

In the high-energy (or high  $M$ ) limit, the near circularity of these orbits permits the azimuthal average over all LT of the standard model. Riley and Wolf [1992] calculate a resonant diffusion coefficient at  $L=3$ ,  $M=0.033$  keV/nT, which

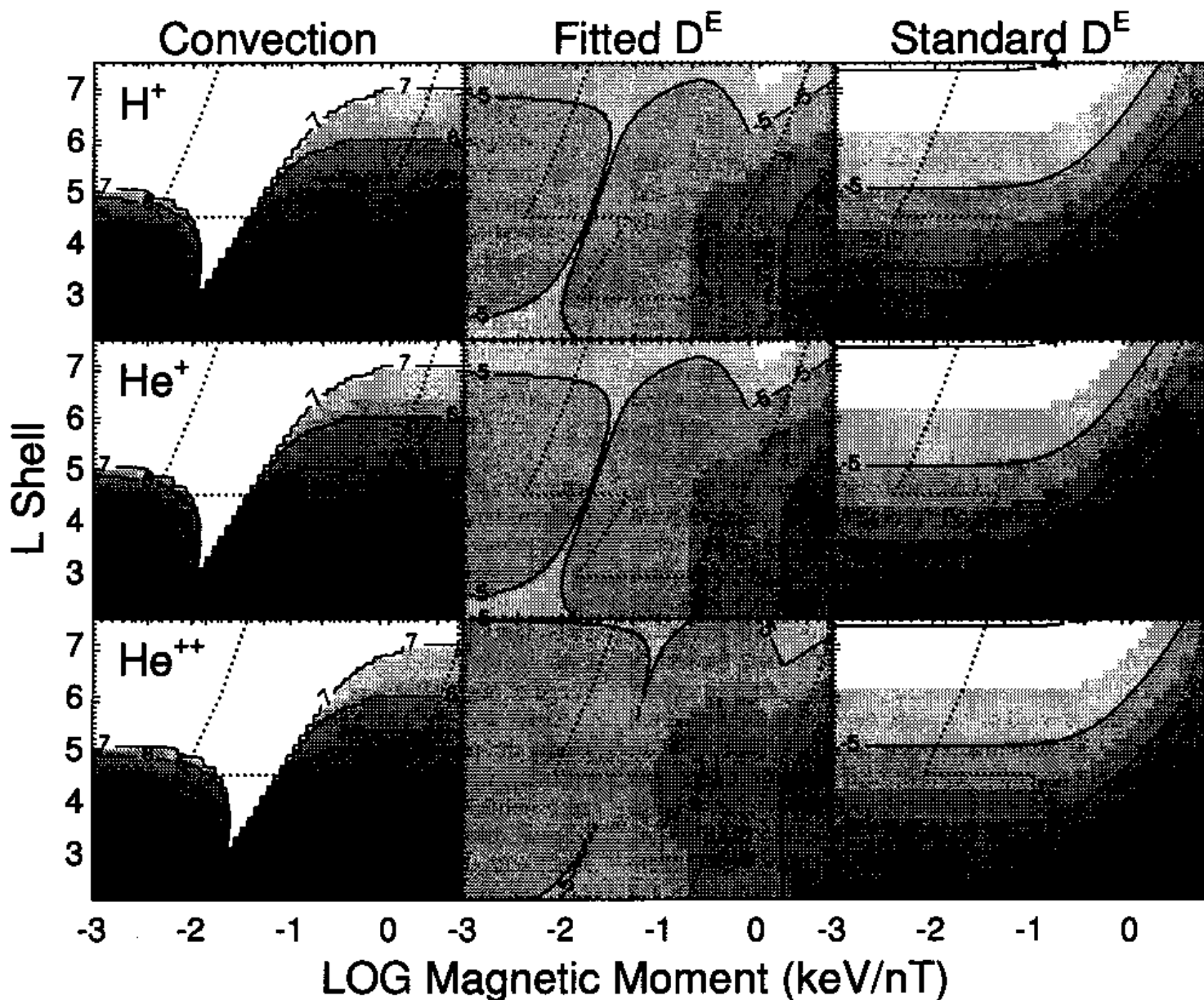


Figure 1. Grayscale contour map of model in magnetic moment versus  $L$  shell ( $M$ - $L$  space). Column 1: Convective access of ions originating at  $L=2$  (black) to  $L=7$  (white). Column 2-3: Modified radial diffusion coefficient and standard radial diffusion coefficient contours respectively, from  $10^{-8}$  (black)- $10^{-2}$  (white). Dotted line outlines fitting region.