an external electric field is frequency dependent, weaker for fluctuations than for steady-state conditions. So we expect less shielding for drift frequencies [Rash et al., 1986] than for static fields, and in fact, radar observations [Gonzales et al., 1983; Earle and Kelley, 1987], show no shielding of penetrating high-latitude electric fields. The Rice convection

Table 1. Fits to Data

| | Domain all* | Parameter | | N | $\langle \chi^2 \rangle / N$ | $\chi^2 > 10$ |
|---|-------------------|------------------|-----|----------------|------------------------------|---------------|
| 0 | | | 1 | 11215 | 42.6% | 21 |
| | | D^E | | 6.845(-10) | ± 0.084 | |
| 1 | all* | | 4 | 11212 | 32.4% | 21 |
| | | D^E | | 14.5(-10) | ± 1.5 | |
| | | n | | 2.01 | ± 0.082 | |
| | | Ω_E | | 1.86 | ± 0.080 | |
| | | m | | 0.019 | ± 0.012 | |
| 2 | all* | | 6 | 11210 | 12.2% | 0 |
| | | \mathtt{D}^E | | 0.825(-10) | ± 0.12 | |
| | | n | | 0.731 | ± 0.082 | |
| | | Ω_E | | 1.22 | ± 0.19 | |
| | | $_{ m L_0}^m$ | | -0.129 5.39 | ± 0.012 ± 0.19 | |
| | | p p | | -0.66 | ± 0.40 | |
| 3 | H ⁺ | • | 6 | 3850 | 4.03% | 0 |
| | 11 | \mathtt{D}^E | ٠ | 1.47(-10) | ± 0.57 | v |
| | | n | | 5.6 | ± 1.1 | |
| | | Ω_E | | 1.070 | ±0.085 | |
| | | m | | -0.088 | ± 0.035 | |
| | | L_0 | | 5.31 | ± 0.13 | |
| | | p | | -3.90 | ± 0.90 | |
| 4 | He ⁺ , | _ | 6 | 7354 | 11.8% | 0 |
| | He ⁺⁺ | D^E | | 0.287(-10) | ± 0.094 | |
| | | n | | -0.486 | ± 0.12 | |
| | | Ω_E | | 2.57 | ± 1.2 | |
| | | $\mathbf{L_0}$ | | 0.040 6.07 | ± 0.018 ± 0.31 | |
| | | ъo p | | -0.56 | ± 0.40 | |
| 5 | all† | • | 6 | 10481 | 6.84% | 0 |
| | I | D^E | • | 0.659(-10) | ± 0.11 | • |
| | | \overline{n} | | 0.798 | ± 0.084 | |
| | | Ω_E | | 1.11 | ± 0.21 | |
| | | m | | -0.175 | ± 0.014 | |
| | | L_0 | | 5.65 | ± 0.21 | |
| | | p | | -0.85 | ± 0.43 | |
| 6 | all† | _ F | (9) | 10481 | 5.52% | 0 |
| | | D^E | | 0.328(-10) | ± 0.045 | |
| | | n O- | | 0.531 0.475 | ± 0.070 ± 0.072 | |
| | | $\Omega_E \ m$ | | -0.194 | ± 0.072 ± 0.017 | |
| | | Lo | | 5.89 | ± 0.017 | |
| | | n | | -1.21 | ± 0.39 | |
| | | \mathbf{D}^{M} | | 7.61(-14) | ± 1.3 | |
| | | 1 | | 2.87 | ± 0.40 | |
| | | Ω_M | | 0.88 | ± 0.11 | |

^{*} H⁺,He⁺, He⁺⁺ excluding convection. †Excluding He⁺ at L<4.3.

Read 6.66(-10) as 6.66×10^{-10} .

driven diffusion, in agreement with other ring current studies [Chen et al., 1993]. We note, however, that any electric field applied to the ring current should generate space charge and be shielded to some extent.

On the other hand, the quiet time magnetospheric electric field may be dominated by an internal, ionospheric source at low latitudes [Mozer, 1973; Maynard et al., 1983]. Such an ionospheric electric field weakens at larger radial distances as the magnetic (electric equipotential) field lines diverge producing an 1/L dependence in the azimuthal electric field or $E_{\rm int}^2 \propto L^{-2}$ dependence in the azimuthal fluctuations North-south ionospheric electric fields when mapped to radial electric fields in the equatorial plane weaken even more rapidly giving an $E_{\rm int}^2 \propto L^{-3}$ fluctuation dependence [Matsushita, 1971; Mozer, 1970]. Plasma shielding may diminish this internal electric field as well.

Possibly more important, the latitudinal dependence of the ionospheric fluctuations may generate an equatorial radia gradient in $\Delta E_{\rm int}$. These gradients tend toward increasing fluctuation level with decreasing latitude near the equator [Fejer et al., 1990a], but with the opposite gradient at high latitudes. Since both internal and external sources generally contribute, there is an L shell, L_0 , at which the dominant electric field and the electric field gradient switches from internal to external [Baumjohann et al., 1985; Thayer et al. 1990]. Thus we will use a semiempirical functional form which is the sum of external, $\Delta E_{\rm ext}^2 \propto L^{q-6}$, and internal $\Delta E_{\rm int}^2 \propto L^{q-6}$, electric fluctuation contributions,

$$\frac{\sum_{i} \langle \Delta E_{i}^{2} \rangle}{B_{d}^{2}} \propto L^{q} + AL^{p} = L^{q} [1 + (L/L_{0})^{p-q}]$$
 (17)

giving an electric diffusion coefficient,

$$D_{LL}^{E} = \frac{D^{E}L^{q}[1 + (L/L_{0})^{p-q}]}{(\Omega_{E}/\Omega_{1})^{n}} (\Omega_{T}/\Omega_{E})^{-n \propto m} \quad (18)$$

where we normalize the coefficient to the standard form a $\Omega_1 = \Omega_T$ (E=100 keV, L=7.5), and D^E , L_0 , p, q, m, n, and Ω_E remain to be determined.

4. Analysis

In Table 1 we list the values of each of χ^2 fits. For all but fit 3, a pathological case, the fits show incremental improvement in reduced χ^2 . If a variable is not listed in a particular fit it is held constant at the preceding fit value. Fit 0 is the reference fit from paper 1, which is a single parameter fit of the electric diffusion amplitude D^E but using the standard form for the electric diffusion coefficient [Spjeldvik, 1977] and a drift frequency, Ω , solely due to ∇B drift. The other parameters (not all applicable to the reference fit) were held fixed at the following values: $D^M = 2.3 \times 10^{-15} R_E^2/\text{s}$ q=6, p=0, $L_0=1$, n=2, l=2, k=0.3, and $\Omega_M=1$.

The logarithm of the ratio of this fit to the data is displayed in Figure 2, which shows deviations greater than an order of magnitude over 50% of the data set. The diffusion coefficient was found to be $6.84 \times 10^{-10} \pm 0.08 R_E^2$ /s with a χ^2 of 42%.